

Frank Jenko

[www.ipp.mpg.de/~fsj](http://www.ipp.mpg.de/~fsj)

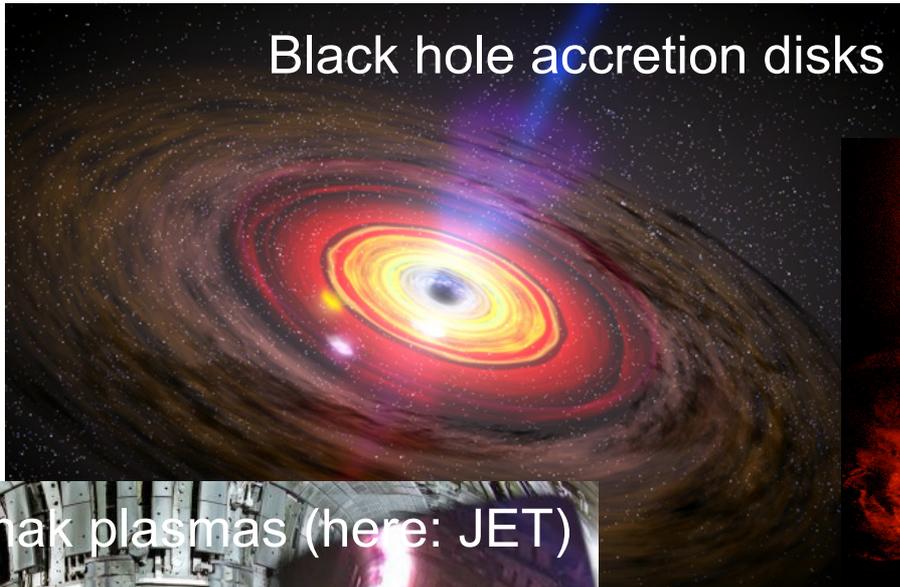
State-of-the-art  
turbulence simulations for  
fusion and astrophysical plasmas  
with GENE

Max Planck Institute for Plasma Physics, Garching  
University of Ulm

SuperMUC Review Workshop  
Garching, 8-9 July 2014

# Our plasma universe: More than 99% of the visible universe is in a plasma state

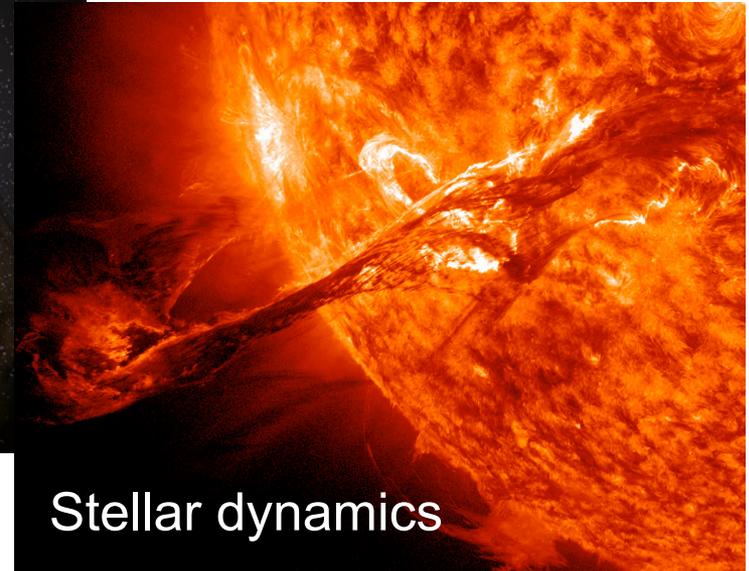
Black hole accretion disks



Tokamak plasmas (here: JET)



Stellar dynamics

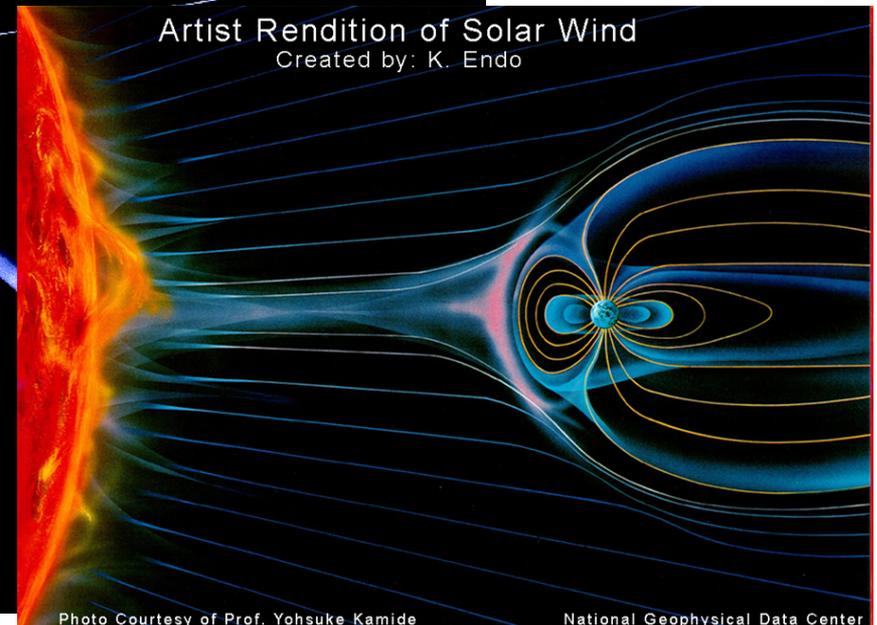
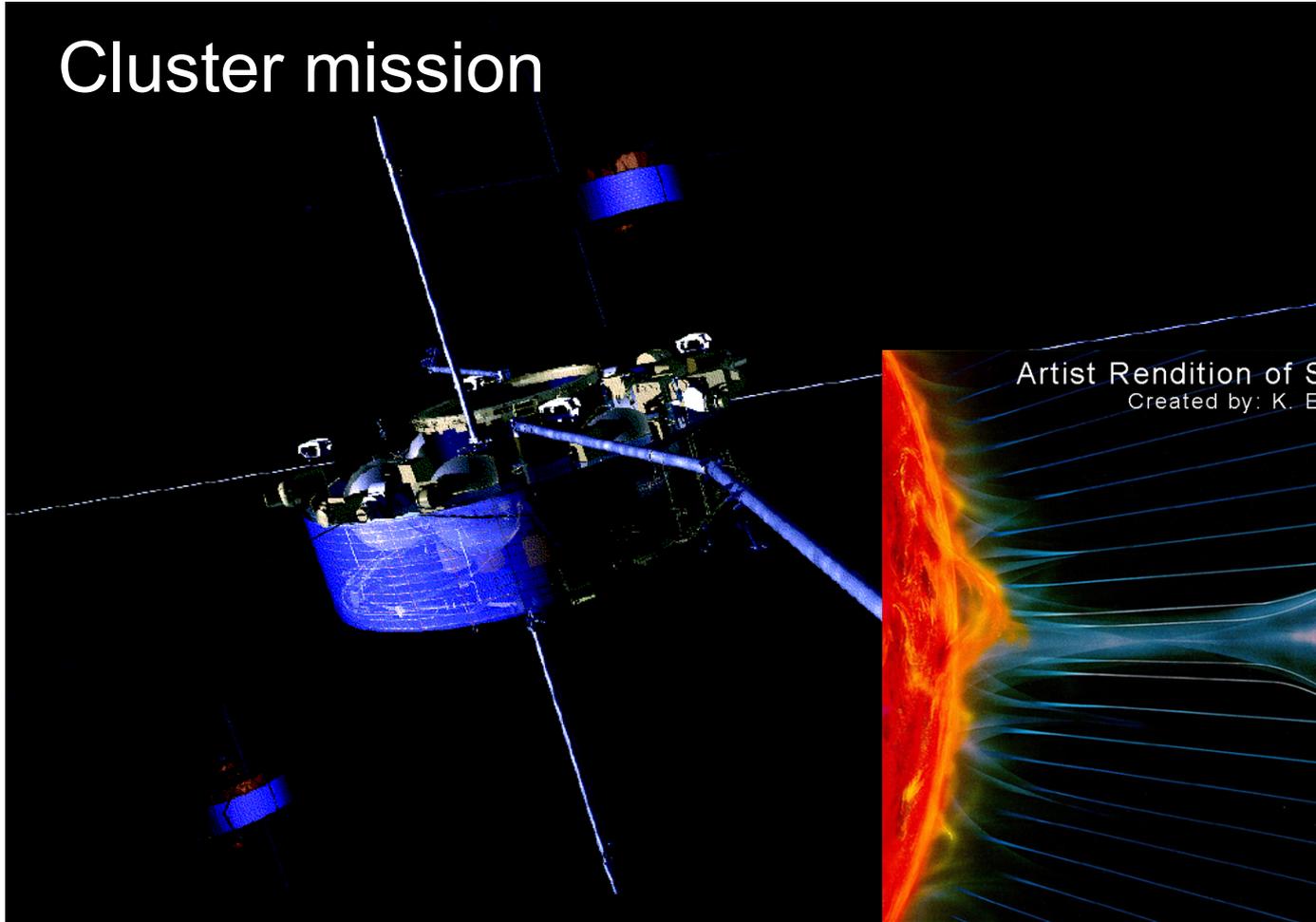


Turbulence is widely recognized as an **important open problem** in modern physics & astrophysics

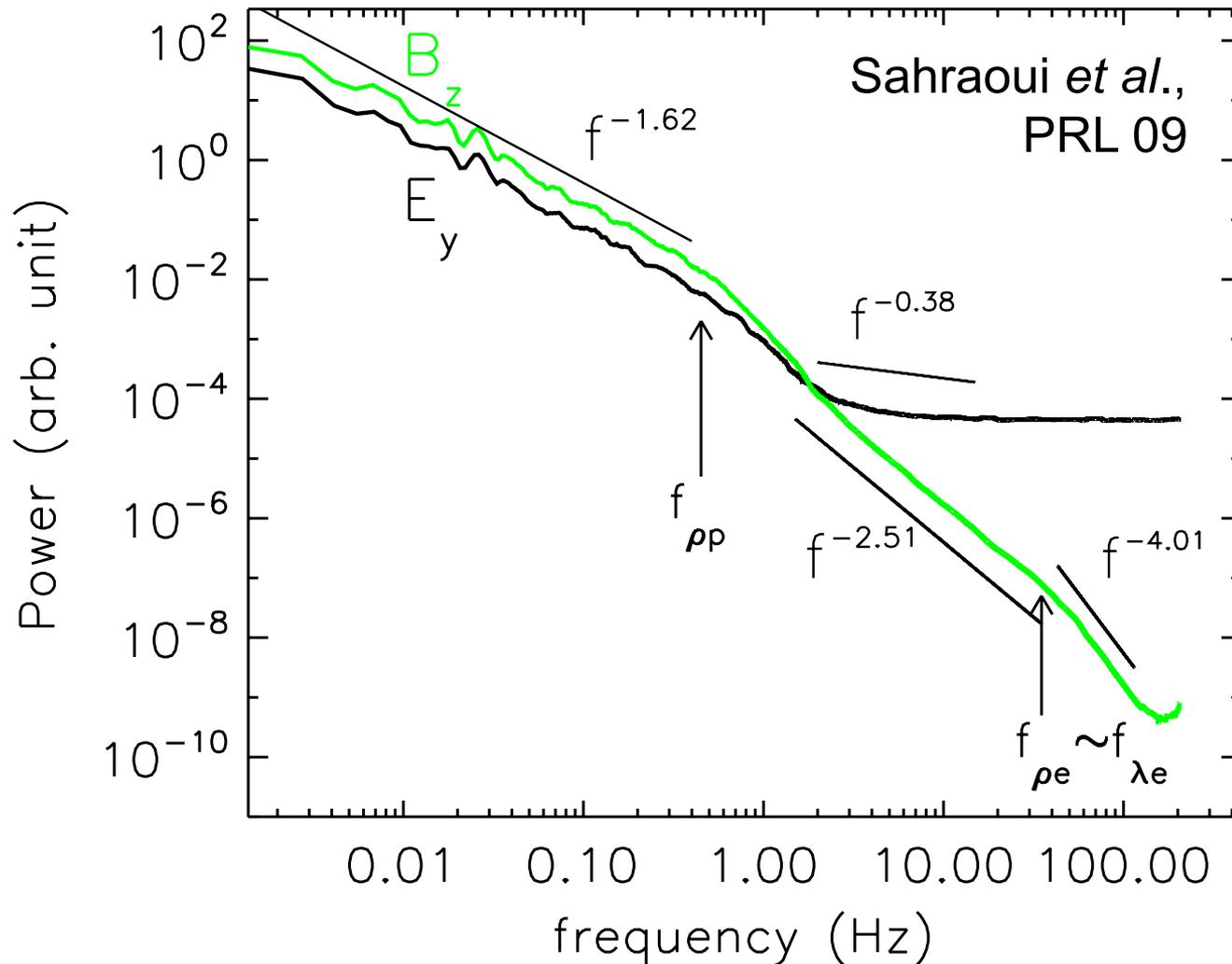
# EXCITING NEW OBSERVATIONS

*In situ* measurements of plasma turbulence at various scales!

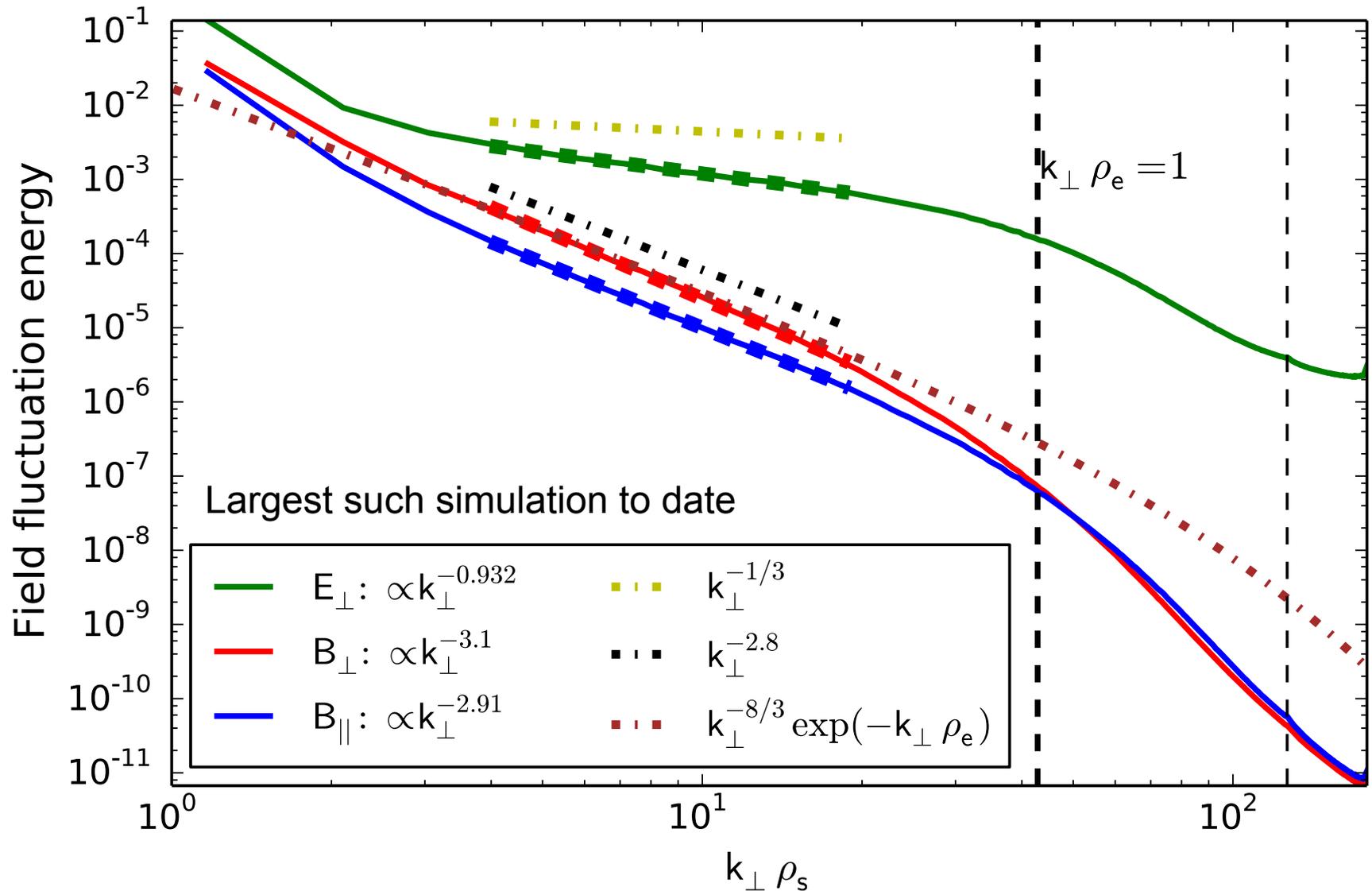
## Cluster mission



# THE SOLAR WIND AS PLASMA TURBULENCE LABORATORY



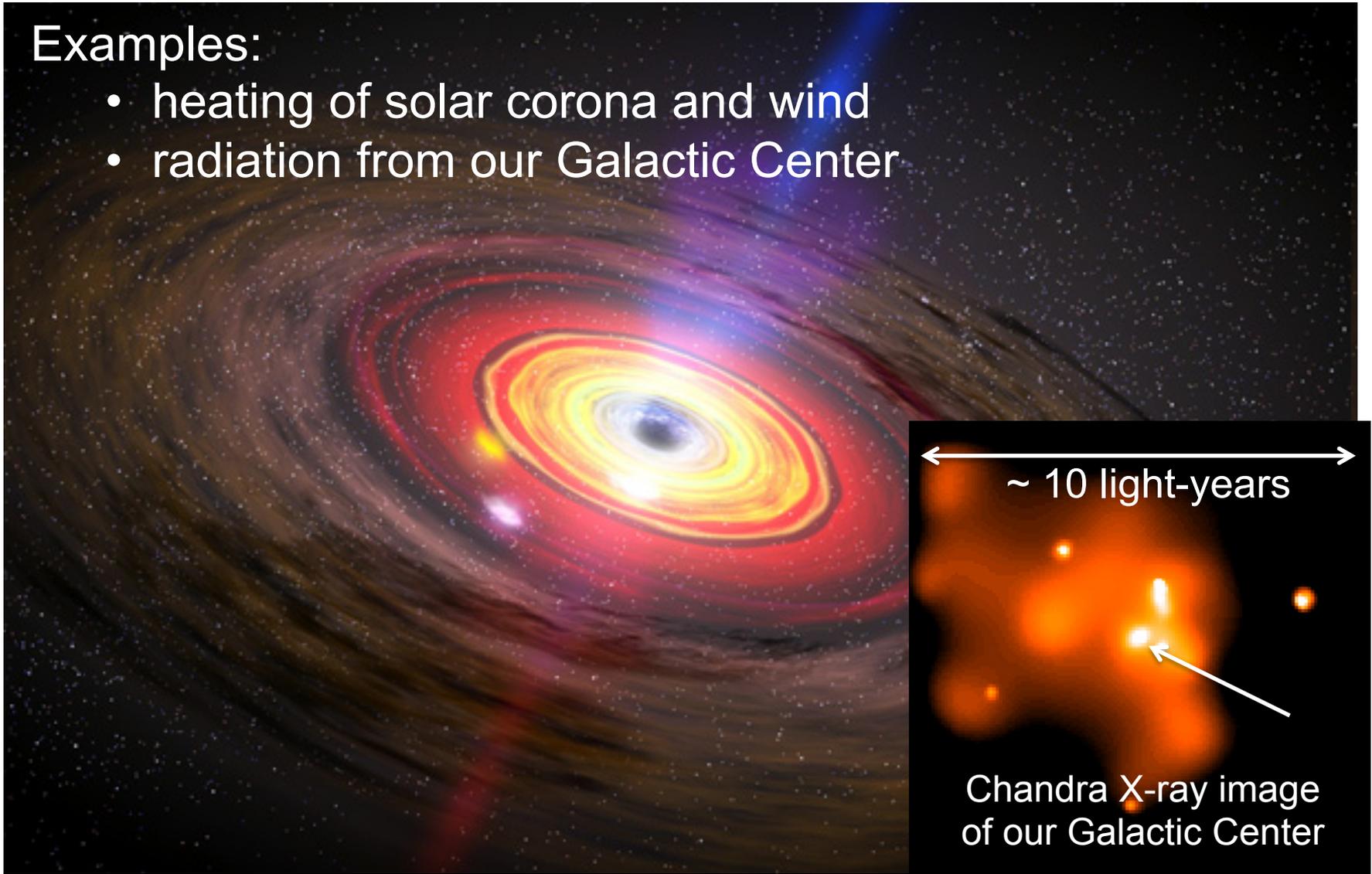
# KINETIC SIMULATIONS (GENE CODE)



# WHY DO WE CARE?

## Examples:

- heating of solar corona and wind
- radiation from our Galactic Center

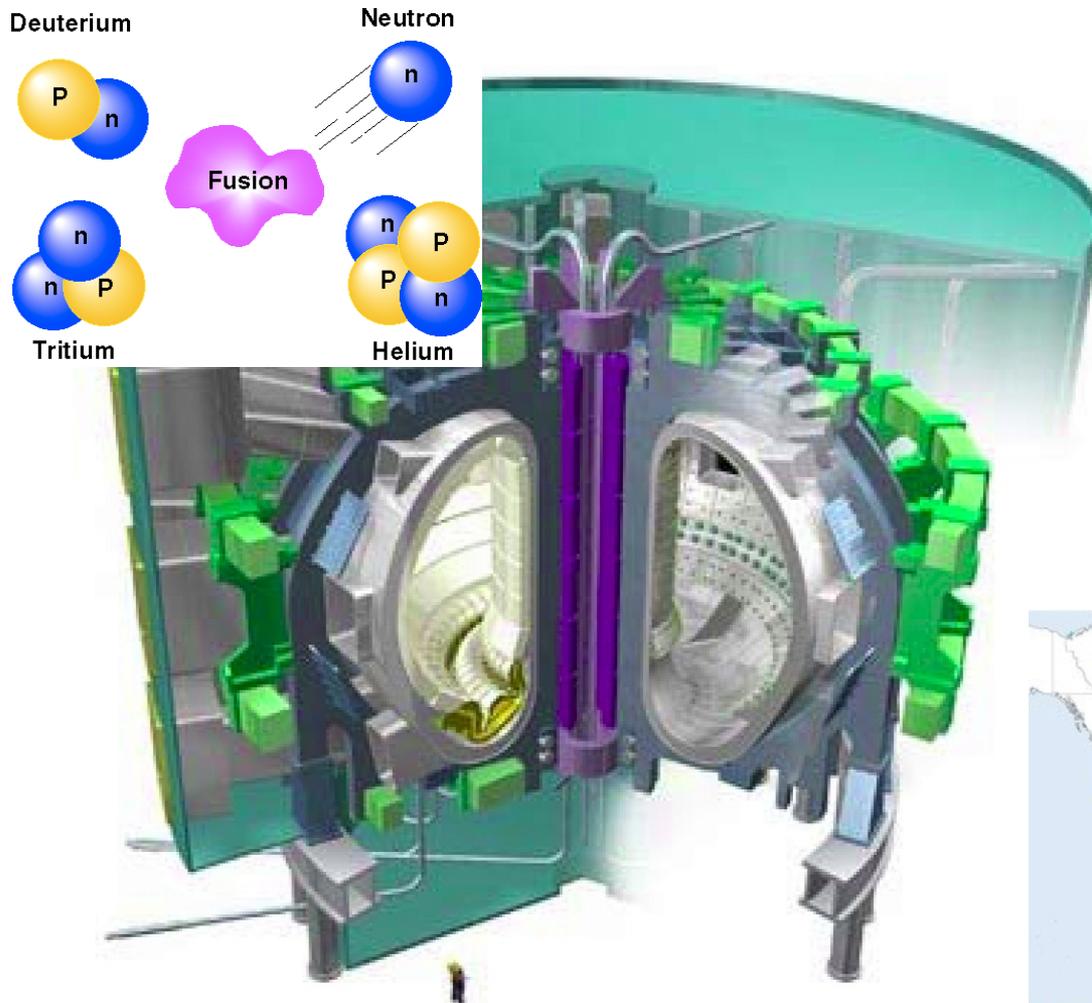


~ 10 light-years

Chandra X-ray image  
of our Galactic Center

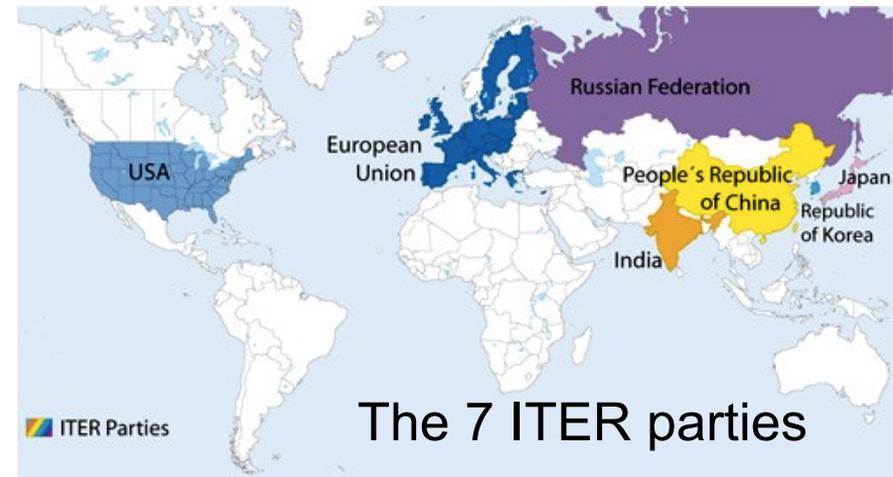
# Plasmas in fusion research: ITER

Idea: New source of CO<sub>2</sub> free energy for centuries to come



Magnetic confinement in a large tokamak

Goal: 500 MW of fusion power



The 7 ITER parties

# The resources for fusion energy are practically unlimited

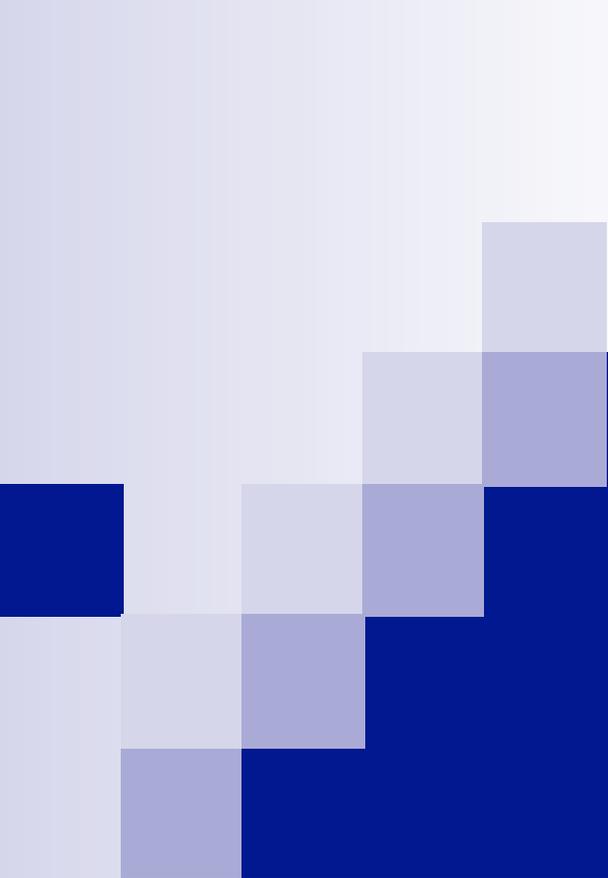


**Deuterium** in a bath tub full of water and **Lithium** in a used laptop battery suffice for a family over 50 years

Global Gyrokinetic Simulation of  
Turbulence in  
**ASDEX Upgrade**



gene.rzg.mpg.de  
gene@ipp.mpg.de

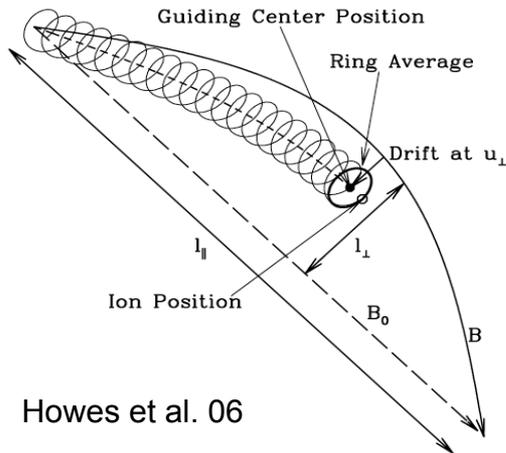


# Extreme computing with the GENE code

# Ab initio microturbulence: NL gyrokinetics

Microturbulence in weakly collisional plasmas requires a kinetic description!

Vlasov-Maxwell equations  $\left[ \frac{\partial}{\partial t} + \mathbf{v} \cdot \frac{\partial}{\partial \mathbf{x}} + \frac{q}{m} \left( \mathbf{E} + \frac{\mathbf{v}}{c} \times \mathbf{B} \right) \cdot \frac{\partial}{\partial \mathbf{v}} \right] f(\mathbf{x}, \mathbf{v}, t) = 0$



Howes et al. 06

**From kinetics (6D) to “gyrokinetics” (5D):**  
For strongly magnetized plasmas, remove fast gyromotion, consider **guiding center dynamics**

$$\frac{\partial f}{\partial t} + \dot{\mathbf{X}} \cdot \frac{\partial f}{\partial \mathbf{X}} + \dot{v}_{\parallel} \frac{\partial f}{\partial v_{\parallel}} = 0 \quad f = f(\mathbf{X}, v_{\parallel}, \mu; t)$$

$$\dot{\mathbf{X}} = v_{\parallel} \mathbf{b} + \frac{B}{B_{\parallel}^*} \left( \frac{v_{\parallel}}{B} \bar{\mathbf{B}}_{1\perp} + \frac{c}{B^2} \bar{\mathbf{E}}_1 \times \mathbf{B} + \frac{\mu}{m\Omega} \mathbf{b} \times \nabla(B + \bar{B}_{1\parallel}) + \frac{v_{\parallel}^2}{\Omega} (\nabla \times \mathbf{b})_{\perp} \right)$$

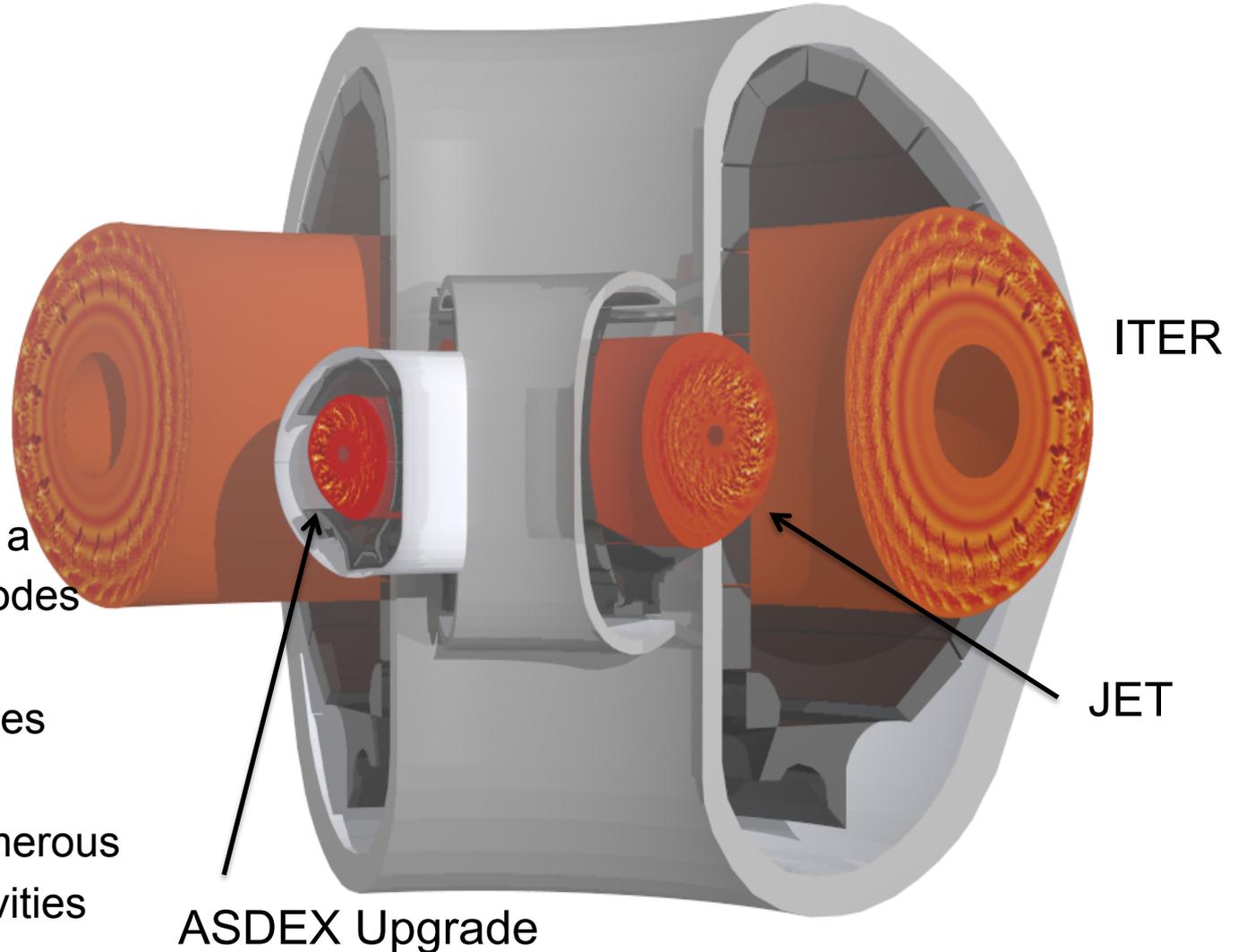
motion along fluctuating field lines
ExB drift

$$\dot{v}_{\parallel} = \frac{\dot{\mathbf{X}}}{mv_{\parallel}} \cdot (e\bar{\mathbf{E}}_1 - \mu\nabla(B + \bar{B}_{1\parallel})) \quad \dot{\mu} = 0$$

Rigorously derived in the 1980s; **enormous reduction of spatio-temporal scales**

# Global GK runs for actual tokamaks

Example: GENE code



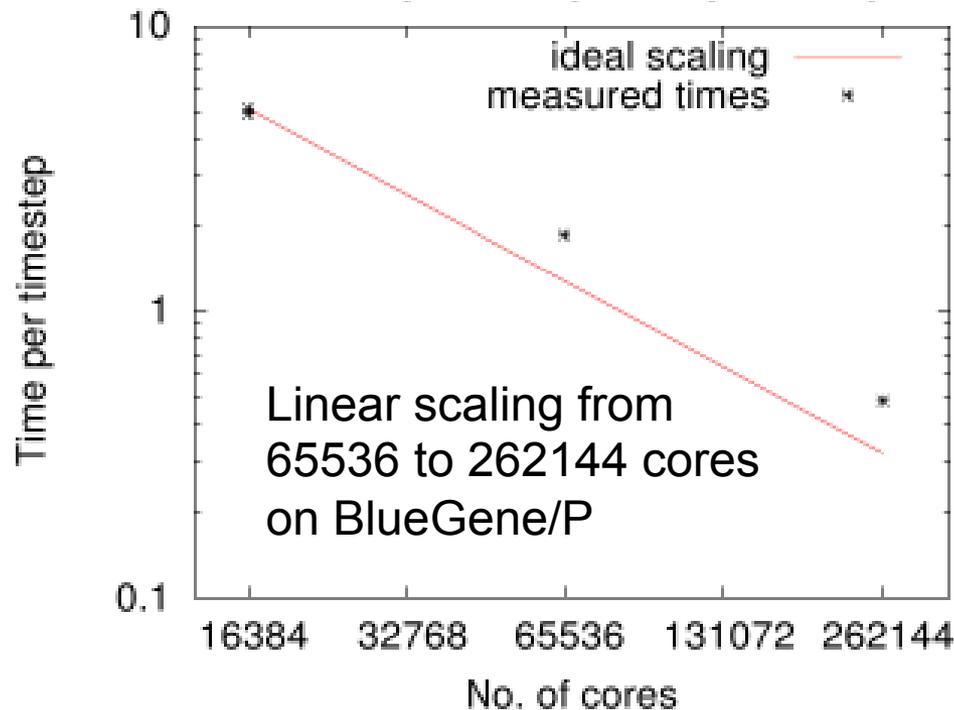
Today, there exists a variety of NL GK codes based on different numerical techniques

Verification via numerous benchmarking activities

ASDEX Upgrade

# Gyrokinetic code GENE (F. Jenko *et al.*, 1999 – )

- Code is *publicly available and widely used* (<http://gene.rzg.mpg.de>)
- Part of the *Unified European Application Benchmark Suite* (PRACE)
- First PRACE Call: Ranked #1 out of 65 projects from all areas of science



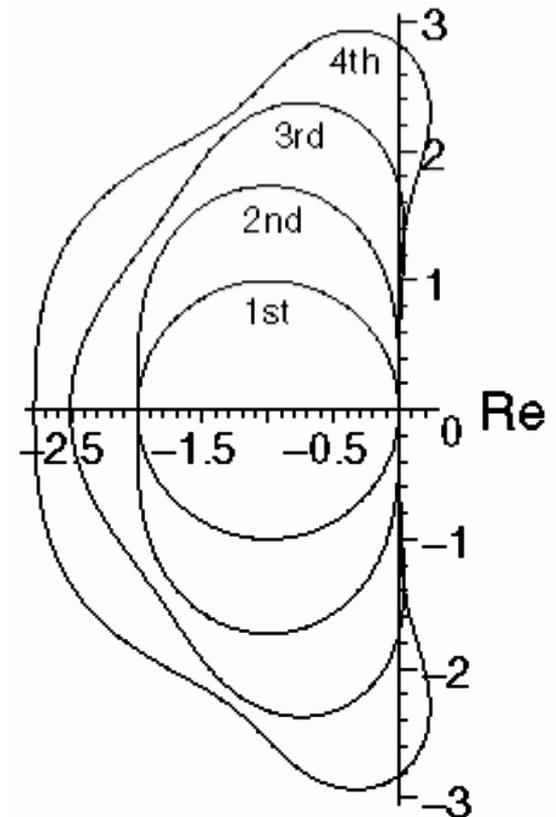
On SuperMUC:  
Up to ~16 kcores

# GENE parallelization

## Parallelization/optimization strategy:

- high-dimensional domain decomposition
- either pure MPI or mixed MPI/OpenMP paradigm
- optimal subroutines and processor layout determined during initialization phase (à la FFTW)
- time step is chosen in an optimal way

Thanks to F. Merz (now at IBM)



# Some computational challenges

- GENE runs are compute intensive; large individual runs may require up to tens of millions of core-hours
- Large runs use many billion grid points and require many TB of short-term storage
- Many different HPC platforms are used in parallel
- Recently, GENE has been ported to GPGPU & MIC systems

# GENE on GPGPU systems

T. Dannert, M. Rampp

- we have *initially* achieved a speedup of 2 of the complete code with the previous hardware generation (Nehalem 4-core CPUs and Fermi M2090 GPUs)
- the speedup marginalizes on the current hardware generation (SandyBridge 8-core and Kepler K20x GPUs)
- we have achieved an in-depth understanding of the reasons:
  - the CPU version of GENE has improved during the GPU development
  - a roofline analysis shows: GENE is memory bound, and the data transfer limits the GPU speedup
  - possible improvements:
    - PCIe 3.0
    - move more computations to the GPU: transfer-to-compute ratio decreases

# Applied math: Iterative eigenvalue solvers

Using SLEPc, an extension of PETSc  
J.E. Roman, Valencia

## Available methods:

- Power Iteration (also Inverse Power Iteration, Rayleigh Quotient Iteration)
- Subspace Iteration with Rayleigh-Ritz projection
- Arnoldi method
- Lanczos method
- Krylov-Schur (with and without Harmonic Extraction)
- Davidson methods (as of recently)

## Recent result:

Using the preconditioned Jacobi-Davidson method is about twelve times faster as Krylov-Schur method with harmonic extraction and twice as fast as the preconditioned Krylov-Schur method.

Christoph Kowitz, TUM, Master's Thesis

# Sparse grid combination technique

With D. Pflüger (Stuttgart) & M. Griebel (Bonn) & H.-J. Bungartz (TUM) et al.

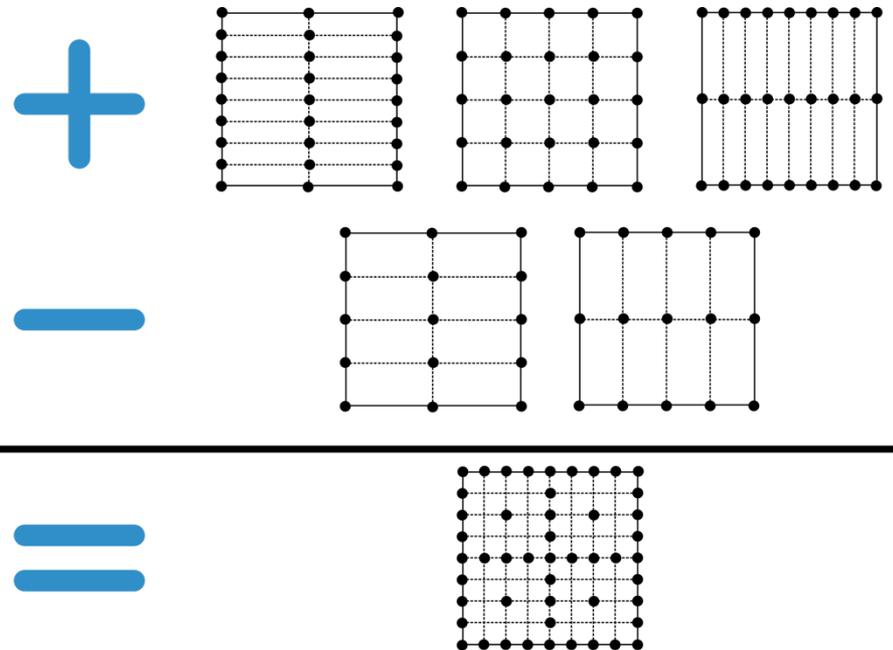
## Cartesian grid

- Regular data structure
- Huge number of grid points for high-dimensional problems  
“curse of dimensionality”

Resolution: 33 grid points per dimension	2D	5D
Cartesian grid	1,089	39,135,393
Combination tech.	641	206,358

## Combination technique

- Good approximation of the Cartesian grid solution
- smaller number of grid points
- existing code (GENE) can be used more or less as is
- applicable to other high-dimensional grid-based problems



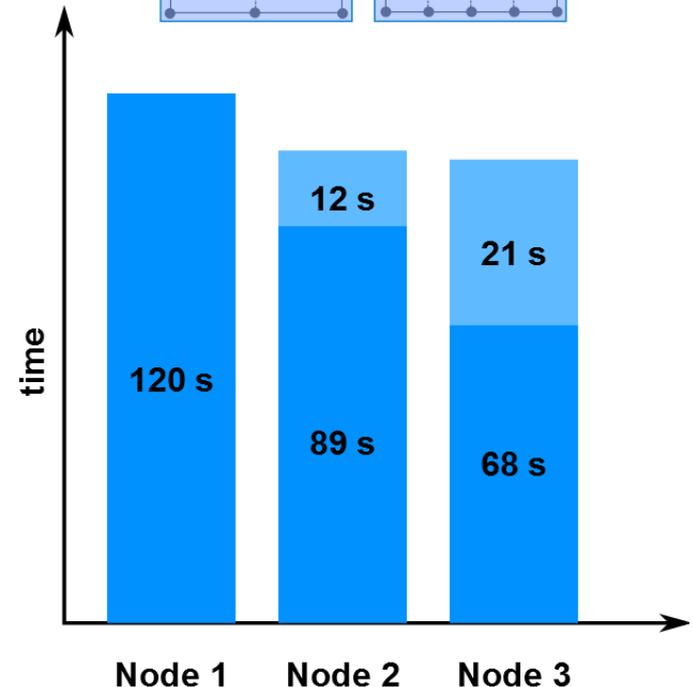
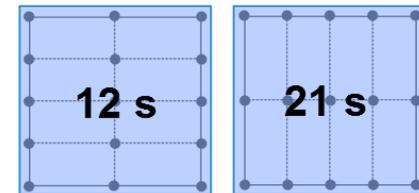
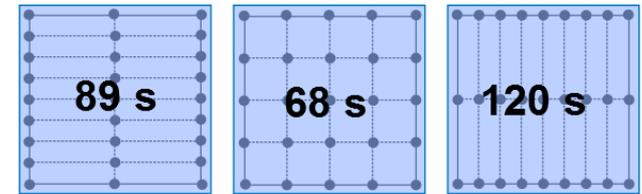
# A new level of parallelism

## Dual parallelism

- Independent grid setups from the combination technique + massively parallel GENE runs
- Run times of the instances tend to vary strongly

## Optimize the load balance

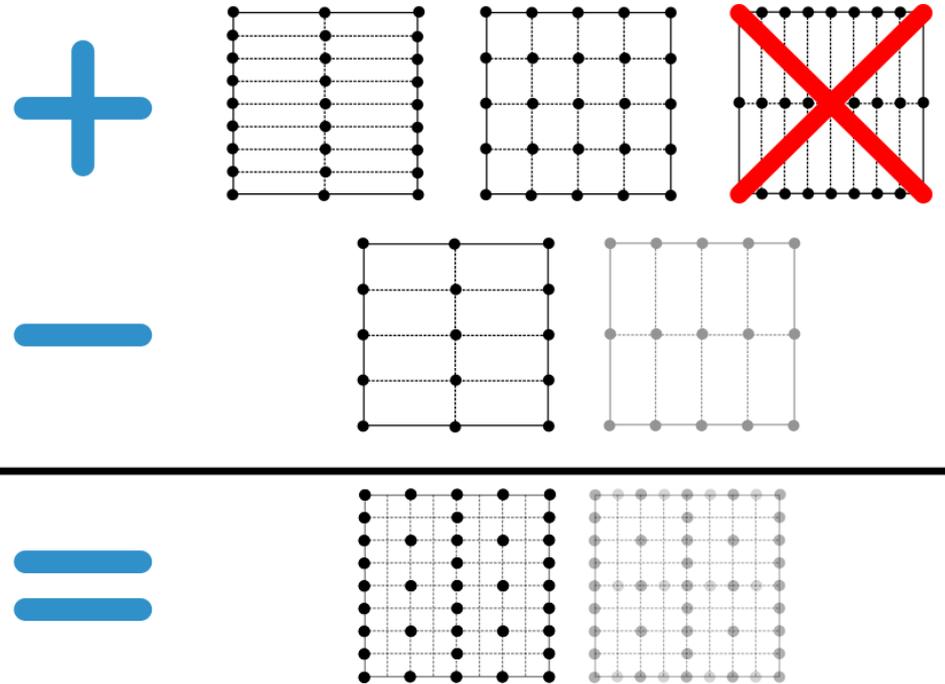
- A simple **load-model** estimates the runtime required for each grid
- A **scheduler** creates an optimal load balancing to minimize idle cores



# Spin-off: Algorithmic fault tolerance

## Hardware failures ( $10^{5-7}$ cores)

- The whole simulation has to be restarted from the last checkpoint file
- In the combination technique, only a single GENE instance would crash

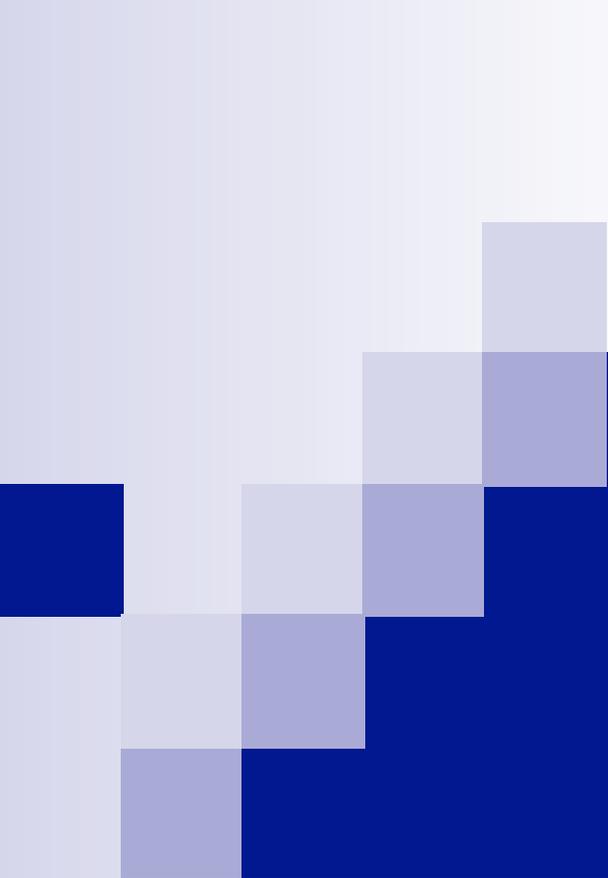


## Two ways to handle the failure

- The combination technique recovers an approximation
- Only a single GENE instance is rerun – which is much smaller than the full problem

**Such techniques may be very useful on future exascale architectures**

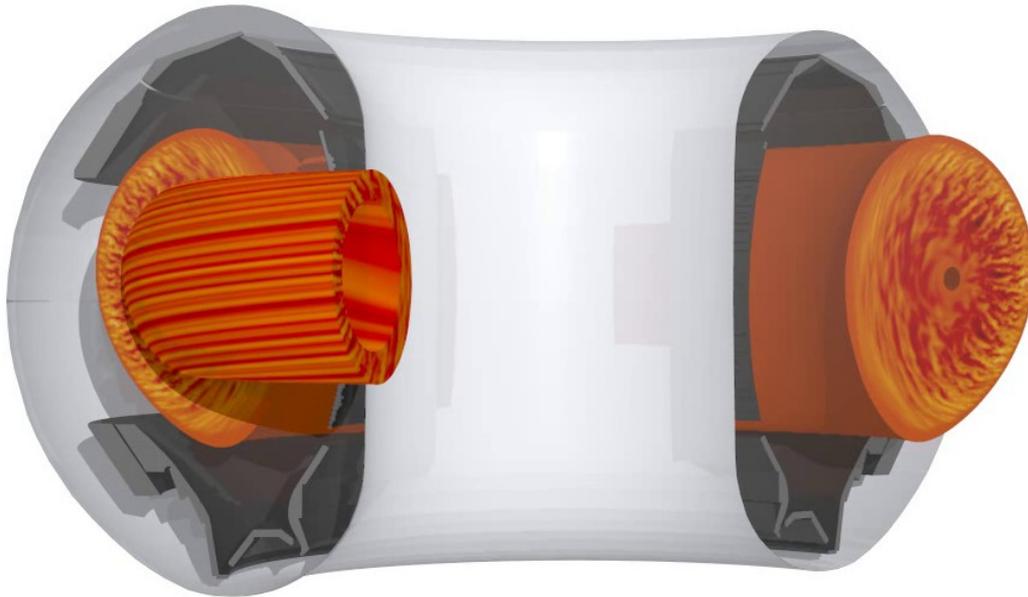




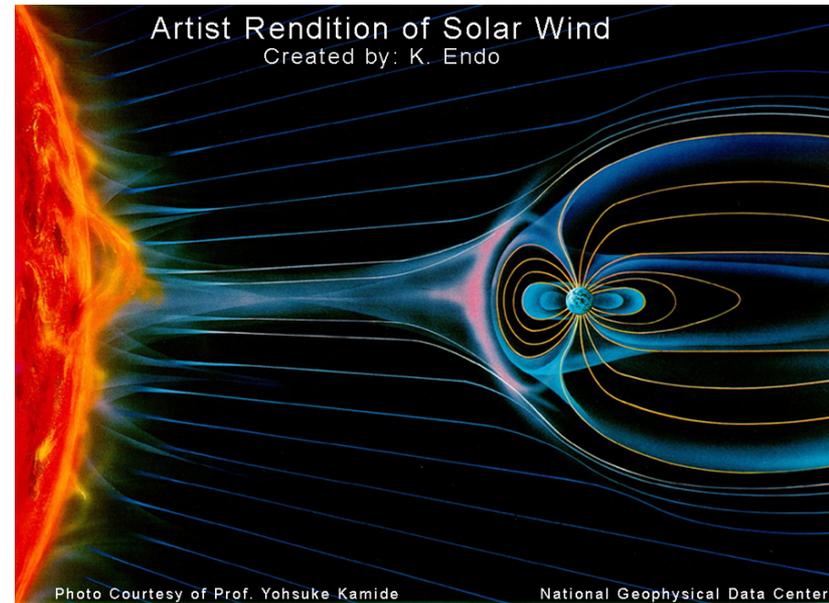
The future

# Two key challenges

## Virtual fusion devices



## Space weather prediction



- Plasma turbulence: Where fascinating physics, extreme computing, and global challenges meet
- More information: [gene.rzg.mpg.de](http://gene.rzg.mpg.de)